



Virtual Learning

# Physics

## Conservative Forces & Potential Energy

May 20, 2020

# Physics

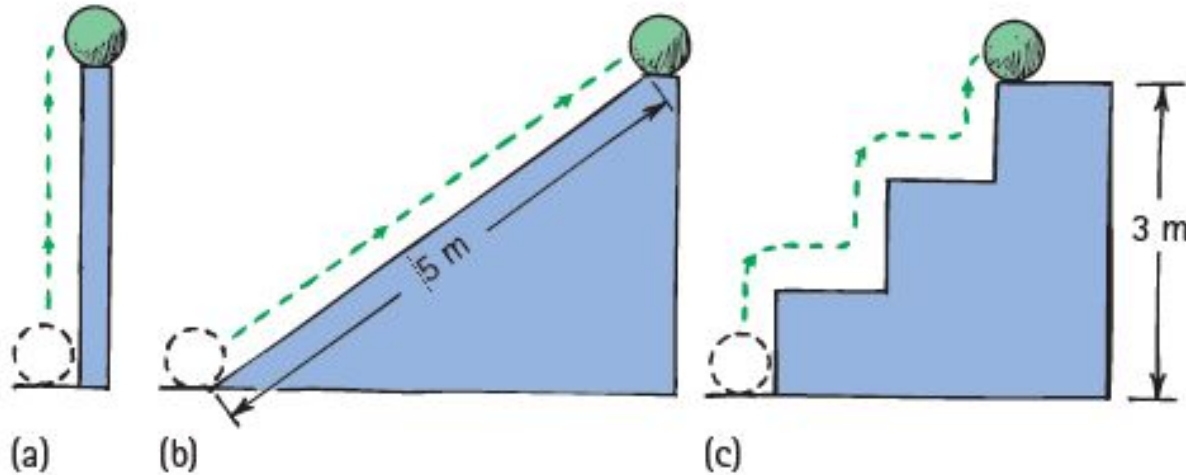
**Conservative Forces and PE: May 20, 2020**

**Objective/Learning Target:**

Students will examine gravitational potential energy and how it transforms then use it to solve various problems.

## Quick Review #1

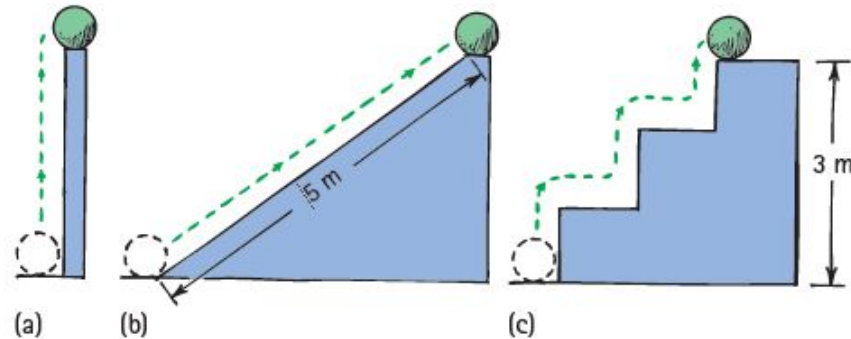
Ignoring friction, rank from greatest to least the amount of gained gravitational potential energy for each of the following situations.



# Quick Review #1

The potential energy of the 10-N ball is the same (30 J) in all three cases because the work done in elevating it 3 m is the same whether it is (a) lifted with 10 N of force, (b) pushed with 6 N of force up the 5-m incline, or (c) lifted with 10 N up each 1-m stair. No work is done in moving the ball horizontally (if we ignore friction).

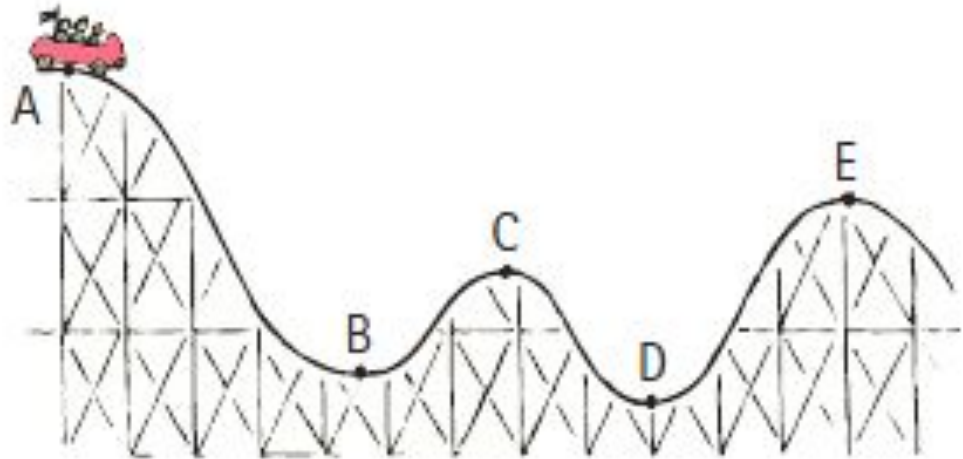
$$a = b = c$$



## Quick Review #2

The roller coaster ride starts from rest at point A. Ignoring friction. Rank these quantities from greatest to least at each point:

- a. Speed
- b. KE
- c. PE

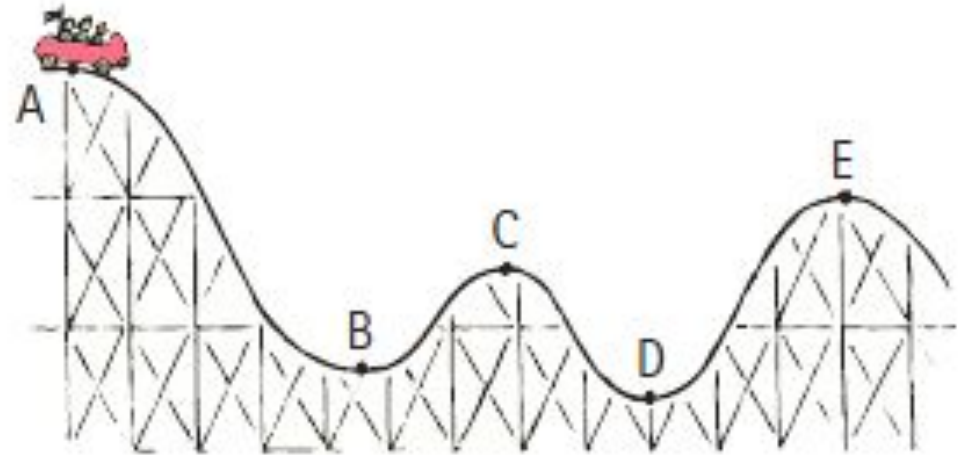


## Quick Review #2

a. Speed -  $D > B > C > E > A$

b. KE -  $D > B > C > E > A$

c. PE -  $A > E > C > B > D$

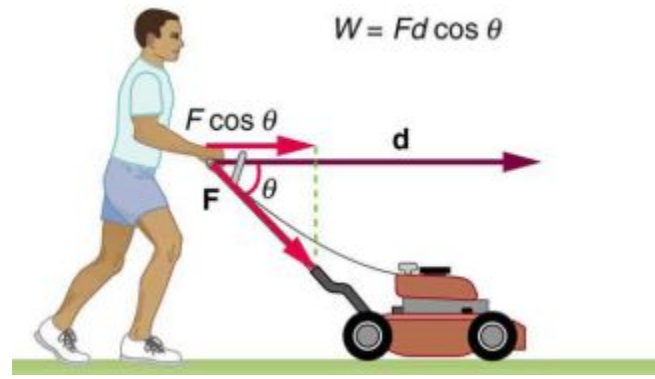


# Work

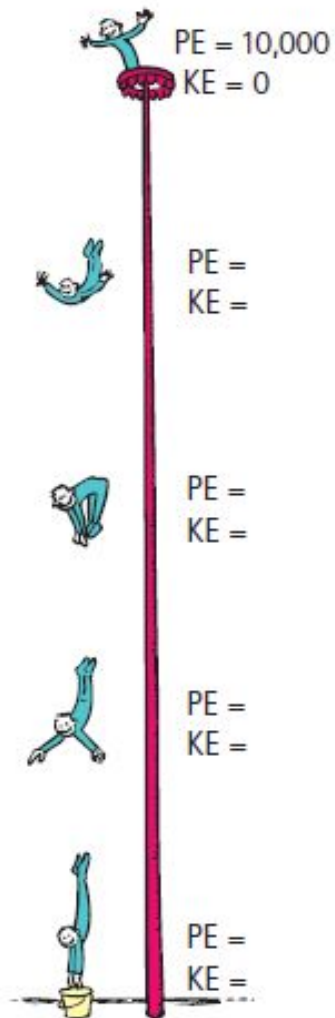
Link: [Conservative Forces and PE](#)

Directions:

- Read through Conservative Forces and PE.
- Work through any examples on a separate piece of paper before you scroll down to the solution.
- On a separate piece of paper complete the practice problems on the following slides.
- Check your answers.
- For additional practice check out the conceptual questions and the problems and exercises in the table of contents for the online text linked above.



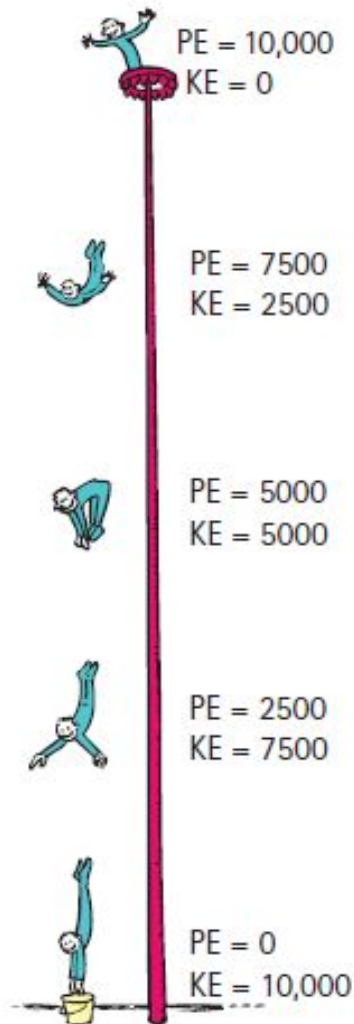
# Practice Problem #1



Fill in appropriate values for the PE and KE as the diver plummets downward into the bucket.



# Practice Problem #1 Answer



As the diver falls his gravitational potential energy is converted into kinetic energy. All along the total energy remains unchanged at 10,000 J.

## Practice Problem #2

Belly-flop Bernie, who has a mass of 70 kg, dives from atop a 30 m tall cliff into the ocean below. What is Bernie's velocity as he strikes the water? Assume no air drag.



# Practice Problem #2 Answer

PE at the top of the flagpole equals the amount of KE just before striking the water.

$$PE_{\text{top}} = KE_{\text{bottom}}$$

$$mgh = \frac{1}{2} mv^2$$

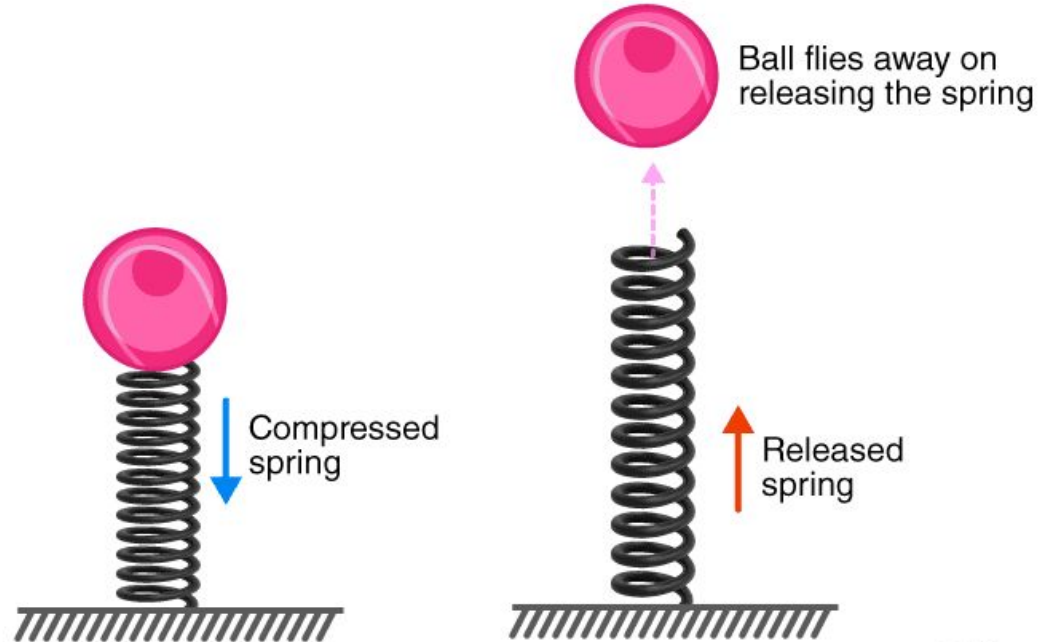
$$70\text{kg} \times 9.8\text{m/s}^2 \times 30\text{m} = \frac{1}{2} 70\text{kg} \times v^2$$

$$v = \sqrt{(2 \times 9.8\text{m/s}^2 \times 30\text{m})} = 24 \text{ m/s}$$



# Practice Problem #3

A spring whose spring constant is  $850 \text{ N/m}$  is compressed  $0.40 \text{ m}$ . What is the maximum speed it can give to a  $500 \text{ g}$  ball? (Ignore friction)



# Practice Problem #3 Answer

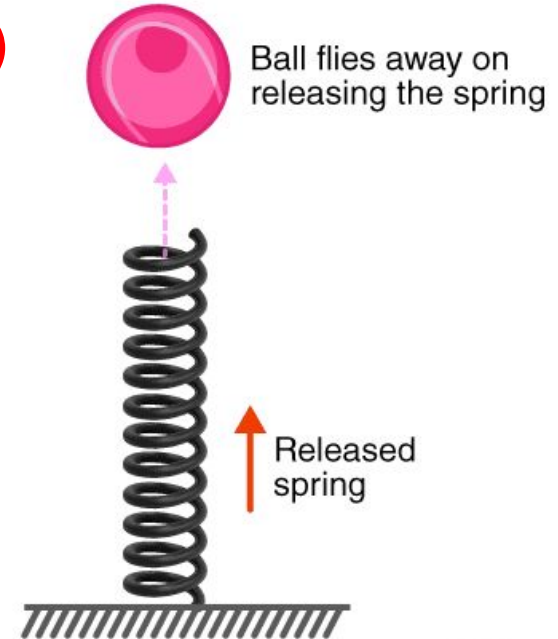
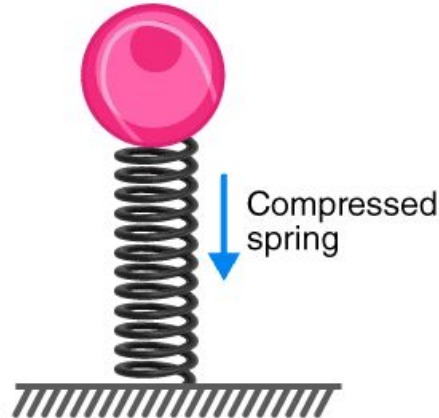
$$PE_{\text{spring}} = KE_{\text{ball}}$$

$$\frac{1}{2} kx^2 = \frac{1}{2} mv^2$$

$$\frac{1}{2} (850\text{N/m}) \times (0.40\text{m})^2 = \frac{1}{2} (0.500\text{kg}) \times (v^2)$$

$$v = \sqrt{(850\text{N/m} \times (0.40\text{m})^2) / 0.500\text{kg}}$$

$$v = 16.5 \text{ m/s}$$



## Additional Practice

For additional practice check out the conceptual questions and the problems and exercises in the table of contents from the online text linked above.